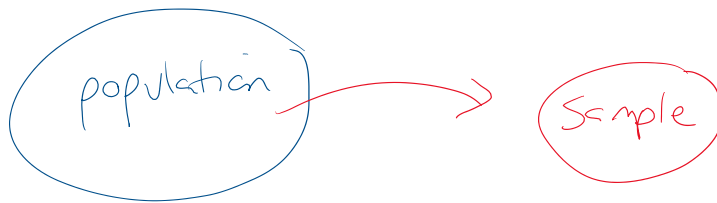


Chapter 5: Describing Data

Section 5.1: Variables and Data

Statistics \equiv a branch of applied mathematics concerned with the collection and interpretation of data

ideas of collecting data:

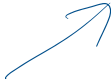


population \equiv the entire set of measurements of interest

note: sometimes not practical or possible to collect data on the entire population

sample \equiv a subset of the measurements of interest

- must ensure as far as possible that your sample is representative


the sample should look like the population

two types of statistics:

descriptive - what are the characteristics of your data set?

inferential - what does our sample tell us about the population?

variable \equiv a characteristic that either

① changes over time

example: the height of an individual tree measured over a period of years

② changes for different individuals or objects under consideration

example: the height of all trees within a certain area at a particular time

experimental unit - individual or object on which a variable is measured

example: we measure the height of a tree
variable experimental unit

univariate data - the result of a single variable measured on experimental units

- the height of a tree

bivariate data - two variables

- the height and diameter of a tree

multivariate data - more than two

qualitative variable - measure is a quality or characteristic

- does not result in a numerical value

example: nationality
favourite food
political party
model of car

quantitative variable - measure is a numerical quantity

examples: height, speed
number of students in a class

for quantitative variables, two types

discrete versus continuous

discrete - can only have finite or countable number of values

example of finite ::

values can only be one of

example of finite:

values can only be one of
 $\{3.75, 5.21, 8.32, 9.21\}$

example of countable:

shoe size: $\dots 7, 7\frac{1}{2}, 8, \dots$

Continuous - can be any real number

examples: speed
mass
length
weight

note: although height, for example, is
in theory a continuous variable

practically speaking, we usually
round our measurements to
a certain precision
(certain number of decimal
places, or "to the nearest
millimetre")

due to

→ limitations of your
measuring instrument

→ limitations on object
being measured

(tennis balls are
fuzzy and squishy)

