

Section 1.3: Operations on Sets

Exercise Answers

1. F

2. T

3. T

4. T

5. F

6. F

7. F

8. T

9. F

10. D

11. {2, 3, 4, 5, 6, 7, 8}

12. {3, 5}

13. N

14. {2, 3, 4, 5, 6, 8}

15. F

16. \emptyset

17. {1, 2, 3, ... 8}

18. \emptyset

19. \emptyset

20. \subseteq

21. \cup

22. {1, 3, 5, 7, 8, 9, 10}

23. $\{1, 3, 5, 7, 9, 10\}$

24. $\{1, 2, 4, 6, 7, 8, 9, 10\}$

25. $\{1, 2, 3, 5, 6, 7, 8, 9, 10\}$

26. \bar{B}

27. U

28. $A \cup B = \{2, 3, 4, 5, 6\}$, so $\overline{A \cup B} = \{1, 7, 8, 9, 10\}$ – no, this is not the same as $\bar{A} \cup \bar{B}$, but is the same as $\overline{A \cap B}$.

29. $\bar{A} = \{1, 3, 5, 7, 8, 9, 10\}$, $\bar{A} \cap B = \{3, 5\}$, $(\bar{A} \cap B) \cup A = \{2, 3, 4, 5, 6\}$

30. You can write out all the sets if you insist, but it's easier to just say that $C \cup \bar{C} = U$ and $\overline{\bar{B} \cup \emptyset} = \bar{B}$, so $\overline{C \cup \bar{C}} = \emptyset$ and $\overline{\bar{B} \cup \emptyset} = B$, and since $\emptyset \cup B = B$, $\overline{C \cup \bar{C} \cup B \cup \emptyset} = B$ also.

31. $\{x / x \text{ is an even integer}\}$

32. C

33. D

34. \emptyset

35. \bar{E}

36. \bar{E}

37. False, since $(1, 2, 3 \dots)$ is not a set – you need set braces $\{ \}$, not round brackets $()$.

38. False. B is a subset of A , but it isn't an **element** of A .

39. False. 5 is not a set, so it cannot be a proper subset. (It **is** an element of A , sure.)

40. False. The intersection of B and C is the empty set, but $\{\emptyset\}$ isn't the empty set – it's a set **containing** the empty set.

Yes, the last four questions are all about notation. Yes, they're evil.