Section 1.4: Cont $^{\prime}$ d
easiest measure of variability to calculate
range - the different between the max and minimum values
good port - easy to calculate bad part - almost completely useless
$\rightarrow$ heavily influenced by outliers
$\rightarrow$ only depends on the values of two date points at of the entire set
the annoying measures to calculate:
Variance:
 Sample data
consider some dak point $x_{i}$ on the abare distribution
now far is $x_{i}$ away from the mean? $\left(x_{i}-\bar{x}\right)$
note: if $y$ a sum $\sum\left(x_{i}-\bar{x}\right)$, ya get zero
but if yaw sum $\sum\left(x_{i}-\bar{x}\right)^{2}$, so all terms are non-negative,
the result is a measure of has far away from the mean the points are
population variance:


Greek letter
"sigma"
$N=$ size or population
$\nu=$ population mean
population standard deviation

$$
\sigma=\sqrt{\sigma^{2}}
$$

sample variance

$$
s^{2}=\frac{\sum\left(x_{i}-\bar{x}\right)^{2}}{n-1} \quad n=\text { sample size }
$$

sample standard deviation:

$$
s=\sqrt{s^{2}}
$$

note: the units of $\sigma / s$ are the some as for $\mu / \bar{x}$ so if $\mu$ is the average of same lengths meas red in metres, then $\sigma$ is also in matres
a common convention (at least in physics), is to round $\sigma / s$ to one sisfirs, then rand $\mu / \bar{x}$ to the same precision
calculator sags $\quad \mu=58.543287 \ldots$

$$
\sigma=0.71285 \ldots
$$

acceptable to say $\mu=58.6$

$$
\sigma=0.7
$$

