

Section 2.1: cont'd

Tuesday, January 16, 2018 3:27 PM

Test #2: Thursday, March 29

Covers chapters 4 to 7, inclusive

sample space \equiv the set of all simple events

(the complete list of experimental outcomes)

example: rolling a pair of 4-sided dice

sample space:

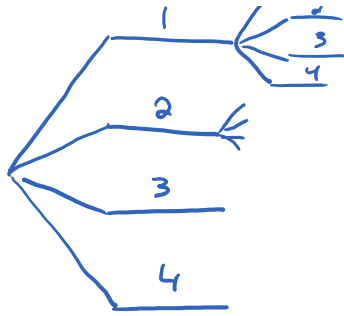
11	12	13	14
21	22	23	24
31	32	33	34
41	42	43	44

note: if the two dice are fair (equal

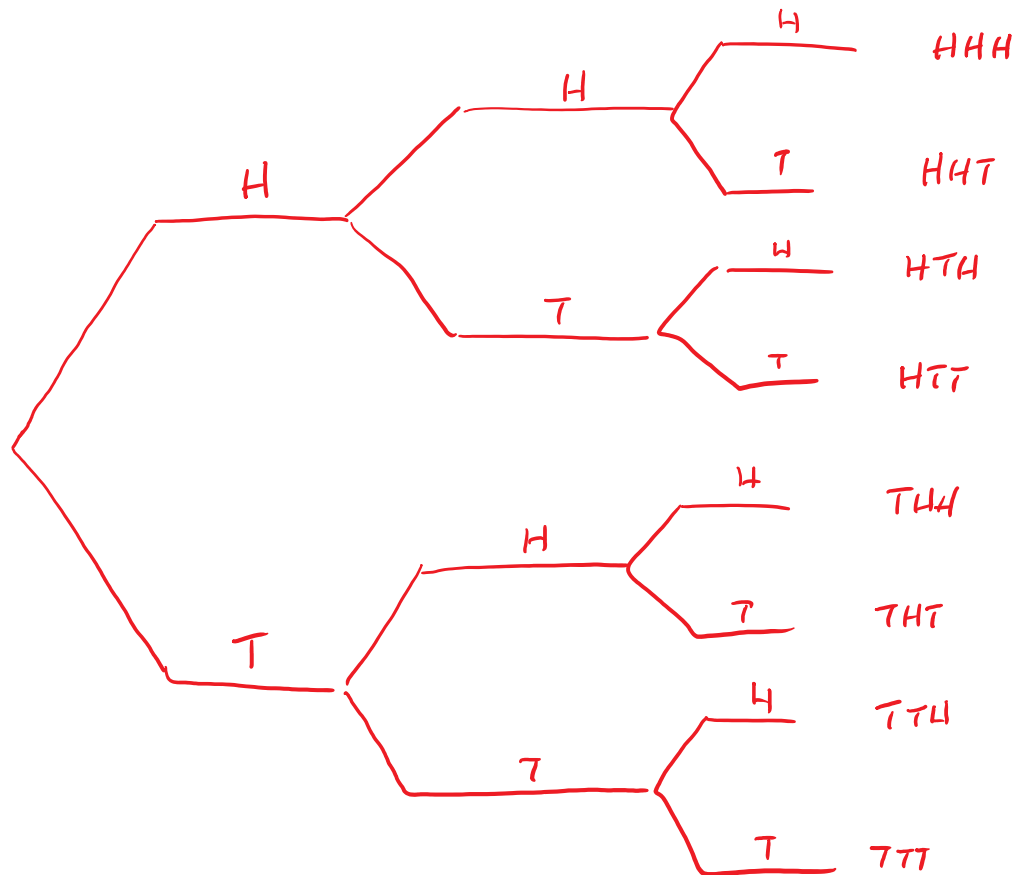
chance of landing on any of the sides),
then the probability of any single event
is $\frac{1}{16}$

note: if you are having trouble generating the sample space, you can always try using a tree diagram





example: what is the sample space for flipping a coin three times?



classical probability:

the probability of an event happening equal the sum of the probabilities of the simple events in that compound event

notation: $P(A)$ = probability of event A happening

if all simple events are equally likely, then

$$P(A) = \frac{n(A)}{n_{\text{tot}}} \quad \leftarrow \begin{array}{l} \text{numbers of ways} \\ A \text{ can happen} \end{array}$$

\leftarrow total number of events
in the sample space

back to rolling 2 fair 4-sided dice:

find the probability of rolling the following sums

sum	$P(\text{sum})$
2	$\frac{1}{16}$
3	$\frac{2}{16} = \frac{1}{8}$
4	$\frac{3}{16}$
5	$\frac{4}{16} = \frac{1}{4}$
6	$\frac{3}{16}$
7	$\frac{2}{16} = \frac{1}{8}$
8	$\frac{1}{16}$

11	12	13	14
21	22	23	24
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↑

the sum of these probabilities is one