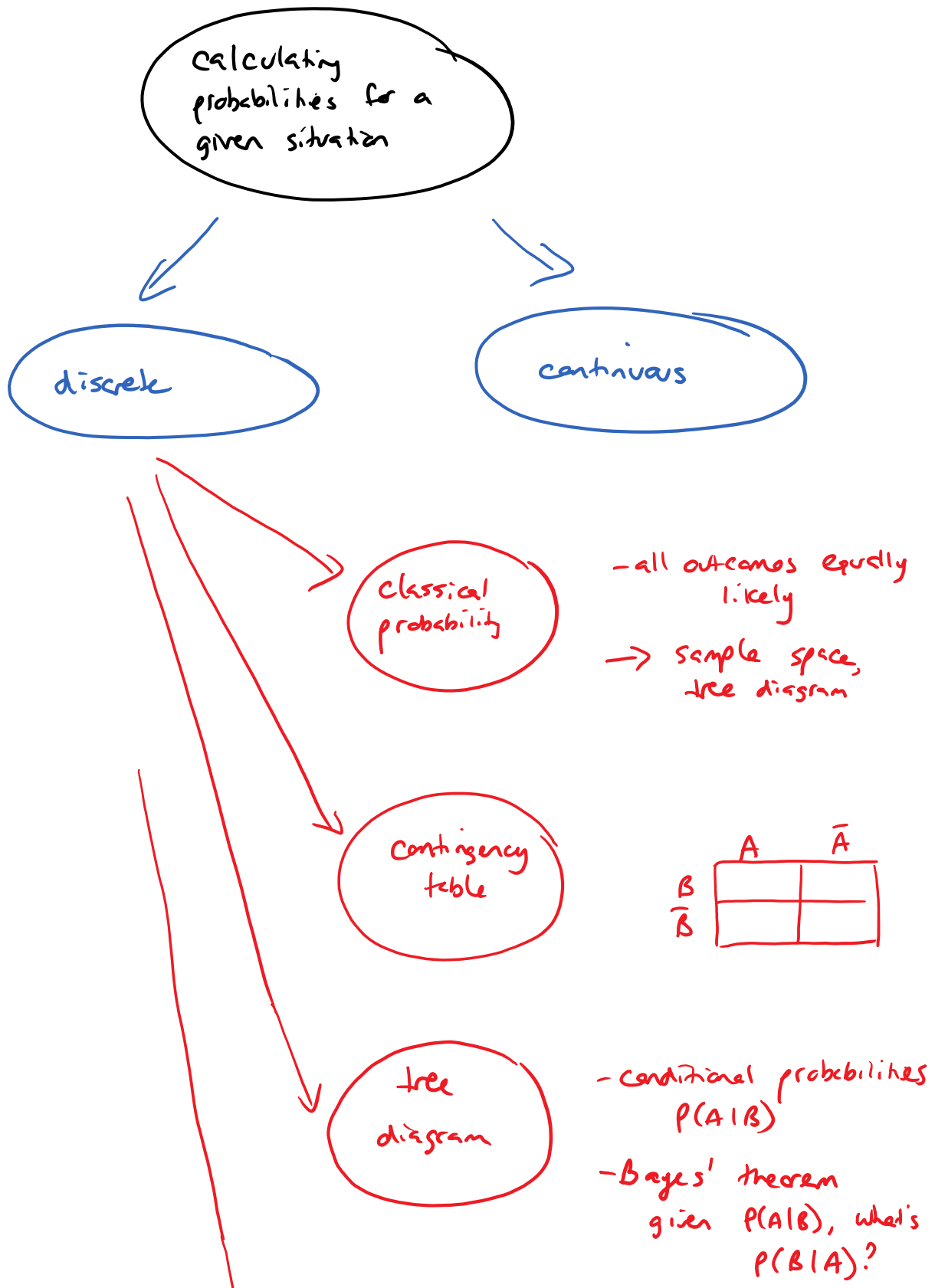


Review:

Tuesday, April 10, 2018 3:35 PM

Decision Trees



$P(B|A)?$

Combinations
permutations

- Unordered / ordered
arrangements of r
objects chosen
without repetition
from n possibilities

named
distributions

binomial

yes/no

fixed number
of identical
trials

Poisson

events in given
space/time
no max number
of events

hypergeometric

yes/no

fixed number of trials
but without replacement

- you can approx with binomial
 $n < \frac{N}{20}$

continuous

Some function

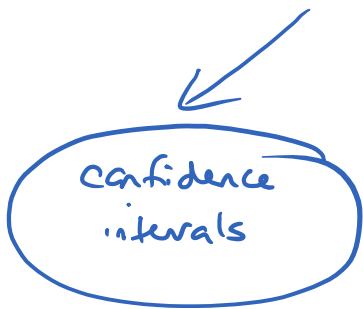
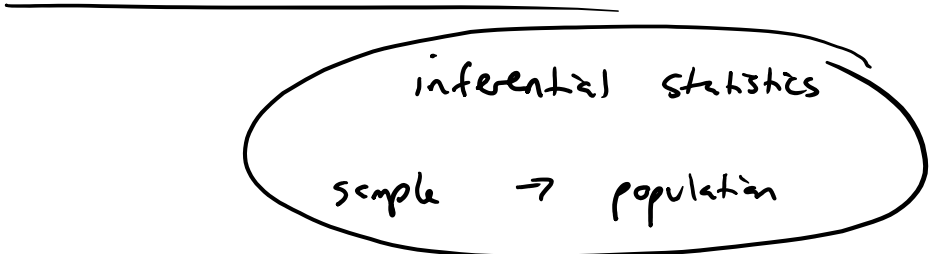
uniform

exponential

$$P(a < x < b) = \int_a^b f(x) dx$$

$$\mu = \int_{-\infty}^{\infty} x f(x) dx$$

$\sigma^2 \dots \dots$



$$\mu = \bar{x} \pm Z_{\alpha/2} \frac{s}{\sqrt{n}} \quad \leftarrow \text{large samples } n \geq 30$$

$$\mu = \bar{x} \pm t_{\alpha/2} \frac{s}{\sqrt{n}} \quad \leftarrow \text{small samples}$$

$$p = \hat{p} \pm Z_{\alpha/2} \sqrt{\frac{\hat{p}\hat{q}}{n}} \quad - \text{ be sure to check } np, nq \geq 5$$

note: if asked for UCB or LCB, use $Z_{\alpha/2}$ / t_{α} instead

$$s < \sigma < \quad - \chi^2$$

hypothesis tests

MUST INCLUDE

H_0, H_a
test statistic
rejection region / p-value
CONCLUSION

given \bar{x} and s ,
draw conclusion
about μ

→ use normal for $n \geq 30$

→ use t for $n < 30$

given s , draw
conclusion about
 σ

→ χ^2

given \hat{p} , draw
conclusion about p

→ normal, provided that
 $np, nq > 5$

paired-difference

→ same rules as μ

goodness-of-fit

→ χ^2

linear regression

- interpret r and r^2
- state whether the association is positive / negative / no association

- is a linear fit reasonable?