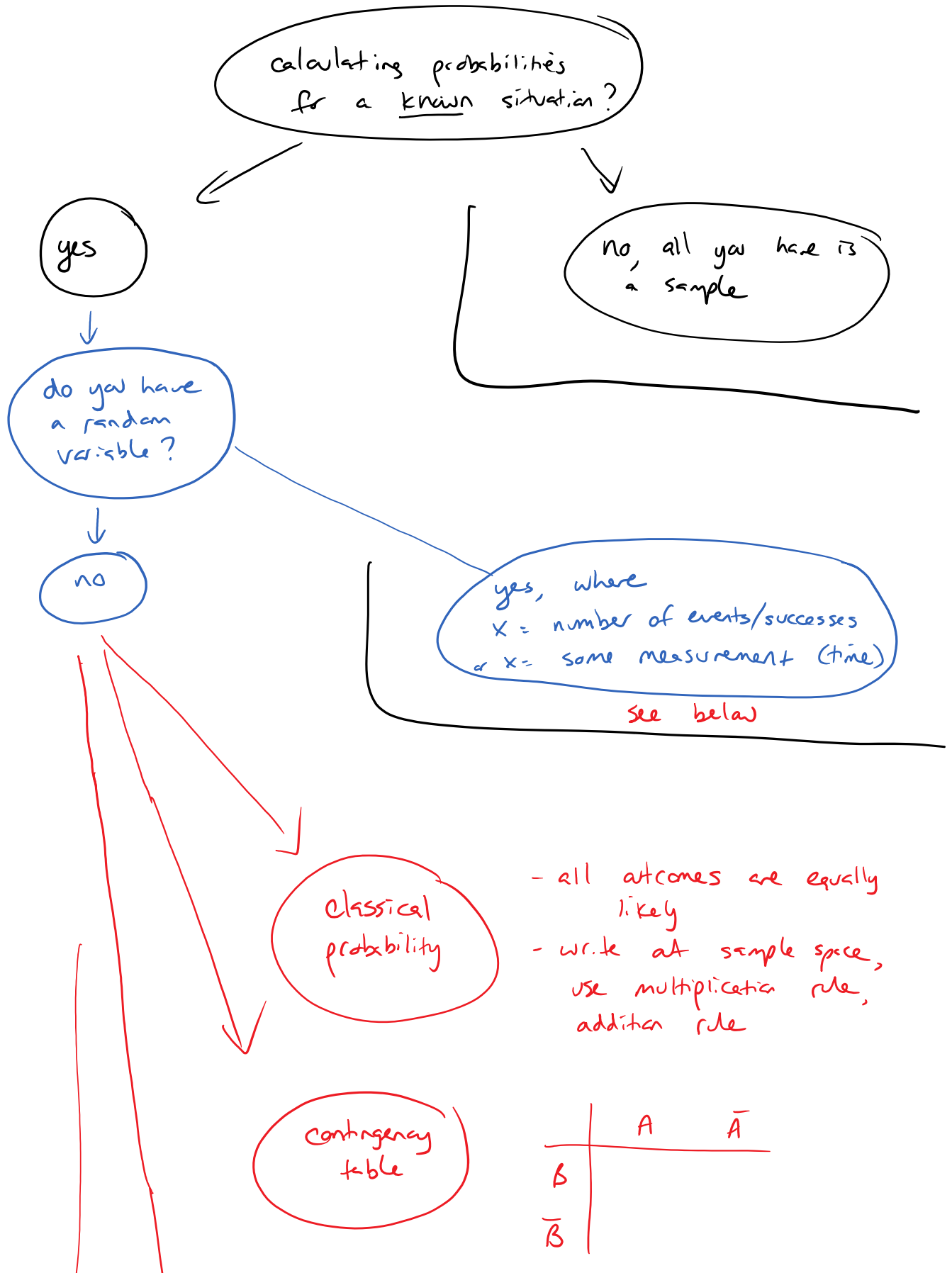


Review: Decision Trees

Tuesday, April 9, 2019 3:35 PM



\bar{B} |

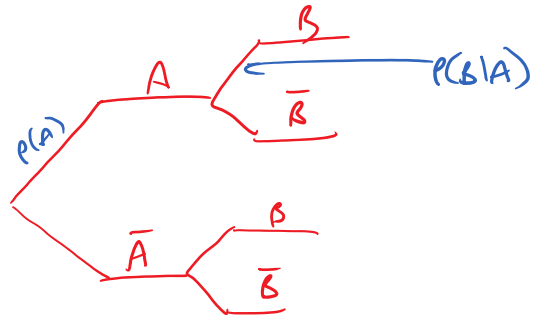
$$P(A|B) = \frac{P(A \cap B)}{P(B)}$$

$$P(A \text{ or } B) = P(A) + P(B) - P(\text{both})$$

$$P(A|B) \stackrel{?}{=} P(A)$$

tree diagram

- good method if given conditional probabilities



Bayes' theorem

- given $P(A|B)$, what's $P(B|A)$?

Combination/
permutation

- unordered / ordered arrangement of r objects chosen without repetition from n possibilities

we have a random variable x
 $x =$ number of events/successes

$X =$ number of events/successes
 $x =$ some measurement

discrete

- binomial** - yes/no
 - fixed number of identical trials
- hypergeometric** fixed number of trials
 but without replacement, so p changes from trial to trial
 - can approximate with binomial if $n < N/20$
- Poisson** events in space/time
 no max number of events

we give you $p(x)$

x	$p(x)$
0	0.4
1	0.1
2	○?
$\Sigma = 1$	

all of these:

continuous

- some function $f(x)$
- uniform
- exponential
- normal - use normal table

integrate

$$\int_{-\infty}^{\infty} f(x) dx = 1$$

$$\mu = \int_{-\infty}^{\infty} x f(x) dx$$

$$\sigma^2 = \int_{-\infty}^{\infty} x^2 f(x) dx - \mu^2$$

note: can use normal to approx binomial if
 $np > 5$
 and $nq > 5$

then $\mu = np$
 $\sigma = \sqrt{npq}$

continuous

what if you have a group
 → Central Limit Theorem

all of these:

$$\mu = \sum x p(x)$$

$$\sigma^2 = \sum x^2 p(x) - \mu^2$$

... j ... ~~diff~~
→ Central Limit Theorem